## How to approximate Pi

| I.Introduction: | II. First method with polygon: |
| :---: | :---: |
|  | Approximate $\pi$ with the perimeter of polygon |
|  | $B D / C D=B A / A C$ |
| But how to approximate $\pi$ ? 2 methods | Fig. 2.1 : AD bissects BAC |
|  |  |
| Archimedes 250 BC. Geometric method |  |
|  | Eig. 2.2 Inscribed and circumscribed hexagons in the unit circle |
| 6. Buffon 1733 | $3<\pi<3.46$ |
| Statistical method | Polygon's Perimeter $\approx \pi$ |

III. A second method with probability


I=needle's length d=lath width
$\mathbf{P}=$ probability of a needle fall on the cut (break) between two laths

Results: Georges Louis Leclerc de Buffon showed that $p=\left(21 / p i^{*} d\right)$

Find pi approximation:
-Throw n needles on the laths
-Call $S$ the number of needles which cut the laths
$-p \approx \frac{s}{n}$
Here $\pi$ is approximately equal to 2,675

## IV. Conclusion

Buffon did his experiment with 2048 launches and found a value of Pi with a precision of 2 decimals.

For the Archimedes' method, a 96 -sided polygon give a value of pi with 2 decimals.
V. References
https://www.pcworld.com/articl e/191389/a-brief-history-ofpi.html
https://itech.fgcu.edu/faculty/cli ndsey/mhf4404/archimedes/

