

\ddot{u}
 $J \quad (M^{2n}, \omega) \text{ GAÜgD} - \text{logo}[\text{height} = 2\text{cm}] \text{ acad} - \text{logo} \text{ academie} \text{ logo} \text{ acad} - \text{logo}$

$(f_t)_{t \in S} : P^1 \rightarrow M$
 $M \quad (X^n, \omega) \ddot{a}c_1(K_X) \cdot \omega^{n-1} < 0 K_X c_1(K_X)(1, 1) T \geq 0$
 $X \ddot{a} X_p$

$\ddot{a} X$
 $Z \dim_C Z = N \mathcal{D} \subset \mathcal{O}_Z(T_Z)$
 $X^{2n} C^\infty Z$
 $f : X \hookrightarrow Z C^\infty \quad f_* T_{X,x} = T_{M,f(x)} \simeq T_{Z,f(x)} / \mathcal{D}_{f(x)}$
 $\forall x \in X, f_* T_{X,x} \oplus \mathcal{D}_{f(x)} = T_{Z,f(x)}$
 $f(X) \cap \mathcal{D}_{\text{sing}} = \emptyset$
 $\mathcal{D} \subset T_Z J_t : X \hookrightarrow (Z, \mathcal{D})_{t \in [0,1]}(X, J_{f_t})$

(Z, \mathcal{D}, α)
 $\bullet Z$
 $\bullet \mathcal{D} \subset T_Z$
 $\bullet \alpha f : X \hookrightarrow (Z, \mathcal{D})$
 (X, J_f)

$(X, \omega) \ddot{a} \omega \ddot{a} (Z, \mathcal{D})$
 $P^N \text{ PGL}(N+1, C)$
 $S^{2p+1} \times S^{2q+1}$
 $(X, J)(Z, \mathcal{D}) \mathcal{D} \subset T_Z J = J_f Z$
 $\Gamma^\infty(X, Z, \mathcal{D}) \acute{e} f : X \hookrightarrow (Z, \mathcal{D}) \mathcal{J}^\infty(X) X$
 $\text{Alert } f \mapsto J_f, \Gamma^\infty(X, Z, \mathcal{D}) \rightarrow \mathcal{J}^\infty(X)$
 $C^{r+\alpha} \ddot{o}$
 $J_f \Gamma^\infty(X, Z, \mathcal{D}) f$

$$f \mapsto J_f w = u + f_* v : X \rightarrow f_* T_Z = f_* \mathcal{D} \oplus f_* T_X f$$

$$\overline{\mathcal{D}} \overline{\partial} f = \overline{\partial}_{J_f} f \overline{\partial} v = \overline{\partial}_{J_f} v(X, J_f)$$

$f \text{ Alert } \overline{\partial} f(x) \in \text{End}_{\overline{C}}(T_{X,x}, T_{Z,f(x)}) x \in X ;$
 $x \in X \eta \in \text{End}_{\overline{C}}(T_X) \lambda \in \mathcal{D}_{f(x)} \theta(\overline{\partial} f(x) \cdot \xi, \lambda) = \eta(\xi) \xi \in T_X$
 $\mathcal{U} f \Gamma^\infty(X, Z, \mathcal{D}) \forall J_f \mathcal{J}^\infty(X)$

$$\text{rank } \mathcal{D} = N - n \geq n^2 = \dim \text{End}(T_X) N \geq n + n^2$$

$$n \geq 1 k \geq 4n Z_{n,k} N = 2k + 2(k^2 + n(k-n)) \mathcal{D}_{n,k} \subset T_{Z_{n,k}} n$$

$$n(X, J) f : X \hookrightarrow Z_{n,k}^R \mathcal{D}_{n,k} Z_{n,k} J = J_f$$

$$k = 4nN = 38n^2 + 8nN = O(n^2)$$

$$Z_{n,k} \omega J J^* \omega = \omega \omega(\xi, J\xi) > 0(1, 1) \beta Z \ddot{a} \mathcal{D} \subset T_Z \beta \mathcal{D} \beta \ddot{a} \mathcal{D}$$

$$(Z, \mathcal{D}, \beta)(X, J, \omega) \dim_C X = n \{ \omega \} \in H^2(X, Z) f : X \hookrightarrow (Z, \mathcal{D}, \beta)$$

$$N_J(\zeta, \eta) = 4 \text{Re} [\zeta^{0,1}, \eta^{0,1}]^{1,0} = [\zeta, \eta] - [J\zeta, J\eta] + J[\zeta, J\eta] + \Phi([J\zeta, \eta] \cdot \theta(Z, \mathcal{D}) J_f f : X \hookrightarrow (Z, \mathcal{D}) \forall z \in X \forall \zeta, \eta \in T_z X$$

$$\mathcal{D} \mathcal{D} \mathcal{D} \mathcal{D} \subset T_Z[\mathcal{S}, \mathcal{S}] \subset \mathcal{D}(X, J) n f : X \hookrightarrow (Z, \mathcal{D}) J = J_f \text{Im}(\overline{\partial} f) \subset \mathcal{S} \dim Z = O(n^4)$$

$$X \times X \supset \Delta$$